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1 **A genome-wide Approximate Bayesian Computation approach suggests only limited**  
2 **numbers of soft sweeps in humans over the last 100,000 years**

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1 **Over the last 100,000 years, humans have spread across the globe and encountered a**  
2 **highly diverse set of environments to which they have had to adapt. Genome-wide scans**  
3 **of selection are powerful to detect selective sweeps. However, because of unknown**  
4 **fractions of undetected sweeps and false discoveries, the numbers of detected sweeps**  
5 **often poorly reflect actual numbers of selective sweeps in populations. The thousands of**  
6 **soft sweeps on standing variation recently evidenced in humans have also been**  
7 **interpreted as a majority of mis-classified neutral regions. In such a context, the extent**  
8 **of human adaptation remains little understood. We present a new rationale to estimate**  
9 **these actual numbers of sweeps expected over the last 100,000 years (denoted by  $X$ ) from**  
10 **genome-wide population data, both considering hard sweeps and selective sweeps on**  
11 **standing variation. We implemented an approximate Bayesian computation framework**  
12 **and showed, based on computer simulations, that such a method can properly estimate**  
13  **$X$ . We then jointly estimated the number of selective sweeps, their mean intensity and**  
14 **age in several 1000G African, European and Asian populations. Our estimations of  $X$ ,**  
15 **found weakly sensitive to demographic misspecifications, revealed very limited numbers**  
16 **of sweeps regardless the frequency of the selected alleles at the onset of selection and the**  
17 **completion of sweeps. We estimated  $\sim 80$  sweeps in average across fifteen 1000G**  
18 **populations when assuming incomplete sweeps only and  $\sim 140$  selective sweeps in non-**  
19 **African populations when incorporating complete sweeps in our simulations. The**  
20 **method proposed may help to address controversies on the number of selective sweeps**  
21 **in populations, guiding further genome-wide investigations of recent positive selection.**

## 1 **Introduction**

2 Evaluating the legacy of positive, Darwinian selection in the human genome has proved  
3 crucial for identifying the genes underlying the broad morphological and physiological  
4 diversity observed across human populations, and for increasing our understanding of the  
5 genetic architecture of adaptive phenotypes. Genome-wide scans for positive selection have  
6 been largely guided by the selective sweep model (Hernandez, et al. 2011), a model in which  
7 advantageous mutations increase in frequency until fixation under the pressure of positive  
8 selection (Maynard Smith and Haigh 1974), see (Pritchard, et al. 2010) for a review. These  
9 studies have provided a flurry of candidate loci, e.g., (Voight, et al. 2006; Frazer, et al. 2007;  
10 Sabeti, et al. 2007; Tang, et al. 2007; Williamson, et al. 2007; Pickrell, et al. 2009b;  
11 Grossman, et al. 2010; Granka, et al. 2012; Grossman, et al. 2013; Fagny, et al. 2014; Pybus,  
12 et al. 2015; Schrider and Kern 2017), see (Vitti, et al. 2013; Jeong and Di Rienzo 2014; Fan,  
13 et al. 2016) for reviews.

14 There is a little overlap across different genome-wide studies and false discovery rates  
15 remain high (Teshima, et al. 2006; Akey 2009; Hsieh, et al. 2016). Nevertheless, the lowest  
16 empirical  $P$ -values ( $P$ -values computed from genome-wide observed data) tend to remain  
17 significant after the computation of  $P$ -values from neutral computer simulations (Hsieh, et al.  
18 2016), suggesting that top candidates usually put forward in genome-wide scans contain a  
19 fraction of true positives. The top candidates detected in the 1000 Genomes (1000G) CEU  
20 population (Auton, et al. 2015) using simulated  $P$ -values contain ~5 genomic regions with  
21 selection signals found significant after correction for the high numbers of tests performed  
22 genome-wide ( $-\log(P\text{-value}) > 8$ ) (Grossman, et al. 2013). Unfortunately, it is fairly well-  
23 known that such multiple testing corrections applied to discard false positives also discard  
24 true targets of selection, because increasing detection thresholds also reduce the statistical  
25 power to detect sweeps (Pavlidis and Alachiotis 2017).

1        Recently, simulation-based machine learning algorithms implemented to detect selective  
2        sweeps (Pybus, et al. 2015; Schrider and Kern 2016, 2017) and classify them into hard or soft  
3        sweeps, revealed up to ~1,000 soft sweeps in non-African 1000G populations (Schrider and  
4        Kern 2017). The hard sweeps refer to sweeps on *de novo* advantageous mutations (frequency  
5        equal to  $1/2N$  at the onset of selection) (Maynard Smith and Haigh 1974; Hermisson and  
6        Pennings 2005). In contrast, the soft sweep model as investigated by (Schrider and Kern  
7        2017) refers to selective sweeps on standing variation as defined in (Hermisson and Pennings  
8        2005), i.e. mutations at frequency higher than  $1/2N$  at the onset of selection (Orr and  
9        Betancourt 2001; Innan and Kim 2004; Hermisson and Pennings 2005; Przeworski, et al.  
10       2005; Pennings and Hermisson 2006a).

11       However, Harris and colleagues (2018) argued that these high numbers of soft sweeps  
12       can be predicted on the basis of the error rates observed when classifying neutral sites,  
13       highlighting a spurious inflation of the numbers of detected soft sweeps due to false positives  
14       (see (Harris, et al. 2018) for details). This recent debate illustrates the lack of *ad-hoc* methods  
15       that formally estimate actual numbers of selective sweeps in populations (e.g., numbers of  
16       sweeps occurred over a given time span). Genome-wide scans for selection are designed to  
17       detect sweeps but the numbers of detected/classified sites, e.g., (Li and Stephan 2006; Pybus,  
18       et al. 2015; Schrider and Kern 2017), poorly estimate the actual numbers of sweeps because  
19       of the burden of false positives. When using weakly or moderately stringent detection  
20       thresholds, the lists of detected sweeps are potentially enriched in false positives (the majority  
21       of detected sweeps can be neutral regions with spurious signal of selection). Therefore, as  
22       mentioned above, in genome-wide studies we are forced to apply stringent detection  
23       thresholds to discard these false positives. This may drastically reduce the number of detected  
24       sweeps (see the ~862 and ~18 sweeps on average retained with the default and a most  
25       stringent probability threshold of 0.9 used in the machine learning classifier (Schrider and

1 Kern 2017; Harris, et al. 2018)). These reduced numbers are likely far from being  
2 representative of all true targets of selection. Indeed, many true targets of selection cannot be  
3 detected because of a diminished statistical power when applying stringent thresholds,  
4 resulting in an unknown fraction of false negatives, e.g., sweeps of weak intensity (weak  
5 selection coefficients or very recent ages of selection) already hardly detectable even at  
6 nominal thresholds of  $P < 0.01$ . As a consequence, despite the high number of genome-wide  
7 selection scans performed and the development of sophisticated methods, the numbers of loci  
8 truly under positive selection in populations and, therefore, the contribution of positive  
9 selection to recent human adaptation remain poorly understood, from rare numbers of classic  
10 sweeps (Pritchard, et al. 2010; Hernandez, et al. 2011) to high numbers of soft sweeps  
11 (Schrider and Kern 2017).

12 Overall, current methods are therefore related to numbers of detected sweeps not to  
13 actual numbers of selective sweeps in populations, which can markedly differ because of  
14 reasons described above (statistical power and detection thresholds). In this manuscript, we  
15 present a simulation-based method that directly estimates these actual numbers of selective  
16 sweeps in populations, denoted by  $X$  for the rest of the study. We did not attempt to detect  
17 sweeps separately. We rather considered  $X$  as a parameter in a model of the genome-wide  
18 effects of positive selection. To estimate  $X$ , we implemented an approximate Bayesian  
19 computation (ABC) method (Beaumont, et al. 2002) based on summary statistics that  
20 summarize the genome-wide signals of selection and correlate with  $X$ , as shown below by  
21 computer simulations (see the results section). The ABC method presented here does not  
22 output a list of detected sweeps but can help to design and/or interpret normal genome-wide  
23 scans by providing general indications about the numbers of sweeps really expected in the  
24 analyzed populations (scripts and software are available on demand).

1 We applied this method to several African, European and Asian 1000G populations  
2 (Online Methods, Supplementary Table S1). In particular, we aimed to show the suitability of  
3 our approach in the context of the high numbers of sweeps previously found, by considering  
4 hard and soft sweep models as investigated by Schrider and Kern (Schrider and Kern 2017).  
5 We thus considered selection models whereby advantageous mutations exhibit a non-zero  
6 selection coefficient  $s$  since a specific time  $t$ . We considered  $t$  ranged from present to 3,500  
7 generations ago (the last 100,000 years assuming a generation time of 28 years (Fenner 2005;  
8 Moorjani, et al. 2016)) and frequency of the selected allele when the sweep begins, denoted  
9 by  $p_{start}$ , ranged from  $1/2N$  (hard sweeps) to 0.2. This corresponds to the same soft sweep  
10 scenario as investigated by Schrider and Kern (Schrider and Kern 2017), who ignored the soft  
11 sweep scenario that considers multiple independent advantageous mutations at a single locus  
12 (Garud, et al. 2015). Note that our simulation-based method can easily be updated in order to  
13 also incorporate soft sweeps on multiple advantageous mutations. Finally, we considered  
14 lower selection coefficient values, i.e.,  $s$  ranged from 0.001 to 0.05, and avoided using flat  
15 distributions as previously done (Schrider and Kern 2017). We rather randomly drawn  $s$  from  
16 distributions enriched in low values as expected (e.g., ~60% of mutations were predicted  
17 nearly neutral or with a moderate effect on fitness, i.e., with  $s \leq 1\%$  (Boyko, et al. 2008)).

18 We jointly estimated  $X$  and the numbers of sweeps with very low ( $1/2N \leq p_{start} < 0.01$ ), low  
19 ( $0.01 \leq p_{start} < 0.1$ ) and intermediate ( $0.1 \leq p_{start} < 0.2$ ) initial frequencies of the selected alleles,  
20 denoted by  $X_1$ ,  $X_2$  and  $X_3$  respectively (in our model  $X = X_1 + X_2 + X_3$ ). We did not estimate  
21 the number of hard sweeps *stricto sensu* ( $p_{start} = 1/2N$ ) as classically performed (Schrider and  
22 Kern 2017). Instead, we merged hard and soft sweeps with very low  $p_{start}$  into the same  
23 category  $X_1$  because such sweeps left genomic signatures virtually indistinguishable (see  
24 (Jensen 2014) for a review). For example, the probability to misclassify soft sweeps as hard  
25 sweeps increases when the initial frequency of the selected allele approaches  $1/2N$  (Peter, et

1 al. 2012) since at such low frequency these two scenario generate similar signals of selection  
2 (Przeworski, et al. 2005; Ferrer-Admetlla, et al. 2014; Jensen 2014). Finally, we jointly  
3 estimated the  $X$ s ( $X$ ,  $X_1$ ,  $X_2$  and  $X_3$ ) and the average intensity and age of selection,  $S =$   
4  $1/X \sum_1^X s_i$  and  $T = 1/X \sum_1^X t_i$ , with  $s_i$  and  $t_i$  being the intensity and age of the  $i^{\text{th}}$  selective  
5 sweep.

6

## 7 **Results**

### 8 **Overview of the ABC Approach**

9 For the clarity of the manuscript, we present in this section an overview of the rational and  
10 methods implemented in our ABC approach.

11 ABC approaches are based on simulated data that mimic the empirical data to analyze  
12 and on statistics that both summarize each dataset and exhibit a monotonic relationship with  
13 the parameter to estimate. Here we simulated whole-genome sequence (WGS) data that mimic  
14 the 1000G data, i.e., ~3Gb of DNA sequences for about 100 individuals sampled per  
15 population. We used summary statistics based on the widely used comparison between neutral  
16 mutations, labelled here ENVs (Evolutionary Neutral Variants), and mutations potentially  
17 targeted by selection, labelled PSV (Possibly Selected Variants), e.g., synonymous and non-  
18 synonymous comparison (Kimura 1977; Mcdonald and Kreitman 1991). Our rational was  
19 motivated by previous studies showing that positive selection causes genome-wide excesses  
20 of candidate SNPs of selection (i.e., those with extreme values for a given neutrality statistic)  
21 within or nearby genes relative to intergenic regions (e.g., coding SNPs or *cis*-acting eQTLs  
22 *vs* intergenic SNPs (Voight, et al. 2006; Frazer, et al. 2007; Barreiro, et al. 2008; Kudaravalli,  
23 et al. 2009; Jin, et al. 2012; Fagny, et al. 2014; Schmidt, et al. 2019)). In such studies, the  
24 ENV SNP class is the neutral baseline used to control for false discoveries (similar rates of  
25 false positive are expected across SNP classes (Barreiro, et al. 2008)). As summary statistic,

1 we used the odds ratio for selection (OR) (Kudaravalli, et al. 2009), which assesses this  
2 genome-wide excess of candidate SNPs in PSVs relative to ENVs using all candidate SNPs  
3 treated equally regardless of their individual  $P$ -values. The OR being approximately a ratio  
4 between the percentages of candidate SNPs in PSVs and ENV, this summary statistic is thus  
5 expected close to one under neutrality and above one under selection (Kudaravalli, et al.  
6 2009; Fagny, et al. 2014). Based on computer simulations, we show in the next section that  
7 the OR exhibits a monotonic relationship with  $X$ .

8       The ENVs are easy to conceptualize. In real data, they are intergenic SNPs at some  
9 distance from the nearest gene and purged from any functional sites to be unaffected by  
10 selection. In contrast, the PSVs contains all potential targets of selection and neutral nearby  
11 SNPs (Supplementary Fig. S1). For example, in real data the PSVs correspond to  
12 nonsynonymous mutations and their neighbors (e.g., synonymous and intronic mutations) or  
13 regulatory mutations and their neighbors (e.g., variants located upstream/downstream of genes  
14 or in remote regulatory regions). We need to incorporate in PSVs these nearby SNPs in order  
15 to take into account the hitchhiking effects of positive selection. Indeed, selective sweeps  
16 produce clusters of candidate SNPs in the vicinity of the targets of selection whereas under  
17 neutrality candidate SNPs are more uniformly scattered (Voight, et al. 2006). The magnitude  
18 of such clustering depends on the intensity and age of selection and thus provides information  
19 for our estimations of  $X$ ,  $S$  and  $T$ . In simulations, the PSVs are randomly defined (the  
20 remaining mutations are ENVs) and contain  $X$  selective sweeps of various intensity, age and  
21 frequency of the selected alleles at the onset of selection (each PSV region does not contained  
22 a target of selection but all simulated targets of selection are defined as PSVs).

23       The desired ABC posterior distributions are computed in each 1000G population by  
24 comparing simulated and empirical WGS datasets each summarized by a vector of  $K$  ORs,  $K$   
25 being the number of neutrality statistic used. Because background selection (BGS) may

1 generate spurious positive selection signatures (Coop, Pickrell, Novembre, et al. 2009;  
2 Pritchard, et al. 2010; Hernandez, et al. 2011), we decided to focus on neutrality statistics  
3 previously found insensitive to BGS (Zeng, et al. 2006; Fagny, et al. 2014), i.e., Fay and Wu's  
4  $H$  (F&W- $H$ ) (Fay and Wu 2000),  $iHS$  (Voight, et al. 2006), DIND (Barreiro, et al. 2009),  
5  $\Delta iHH$  (Grossman, et al. 2010), and XP-EHH (Sabeti, et al. 2007). Overall, the posterior  
6 distributions obtained are the parameter values underlying the simulated ORs that best fit with  
7 the empirical 1000G ORs. We use posterior mean as point estimate and the 95% credible  
8 intervals (CI) boundaries to assess the uncertainty of the estimations.

9

## 10 **Odds Ratio for selection reflects the number of selective sweeps**

11 To test the unknown relationships between  $X$  and the OR for selection, we simulated WGS  
12 data with different fixed numbers of selective sweeps,  $X = [0, 50, 100, 150]$  (Online  
13 Methods). The simulated WGS were obtained using recombination profiles randomly drawn  
14 from human recombination maps (Frazer, et al. 2007) and a demographic model previously  
15 inferred, as classically done (Peter, et al. 2012; Grossman, et al. 2013; Nakagome, et al. 2016;  
16 Schrider and Kern 2017; Smith, et al. 2018; Uricchio, et al. 2019) (Online Methods). Because  
17 we aimed to gain information by incorporating inter-population statistics such as the XP-  
18 EHH, we did not use one-population models, as used by Schrider and Kern (Schrider and  
19 Kern 2017). Instead, we used a three-populations demographic model calibrated to replicate  
20 the allele frequency spectrum, population subdivision and linkage disequilibrium in the YRI  
21 (Africa), CEU (Europe) and CHB (Asia) populations (Schaffner, et al. 2005; Grossman, et al.  
22 2010; Grossman, et al. 2013) and used by (Grossman, et al. 2013; Pybus, et al. 2015) to detect  
23 selective sweeps in the 1000G populations. Specifically, to simulate the  $X$  selective sweeps in  
24 one population we assumed neutrality ( $X=0$ ) in the two other populations, e.g., to simulate  $X$   
25 sweeps in Africa (YRI) we jointly simulated the European (CEU) and Asian (CHB)

1 populations as two neutral references populations. We incorporated the  $X$  selected regions  
2 within simulated neutral DNA sequences to form  $\sim 3\text{Gb}$  of WGS in which the randomly  
3 defined ENVs and PSVs respectively cover 30% and 70% of the genome (these proportions  
4 corresponds to the proportions used to analyze the 1000G populations, see below). Finally, for  
5 each neutrality statistic used we defined candidate SNPs (top 1% of SNPs) (Online Methods)  
6 and we computed the ORs (Online Methods) separately for the F&W-H, iHS, DIND,  $\Delta i\text{HH}$ ,  
7 and for two XP-EHHs (we obtained a total of 6 ORs since in a three-populations branching  
8 model, as the one used in this study, there are two XP-EHH per population).

9 To simulate  $X$  sweeps per WGS data (Online Methods),  $p_{start}$  was randomly drawn from  
10 the allele frequency spectrum at the generation  $t$  excluding values higher than 0.2 in  
11 agreement with (Schridder and Kern 2017). The  $s$  and  $t$  parameters were randomly drawn from  
12 flat distributions,  $s \sim U(0.001, 0.05)$  and  $t \sim U(0, 100)$  *kya*, and we excluded complete  
13 sweeps (sweeps at fixation) using a rejection algorithm. By excluding complete sweeps, we  
14 reproduced in our simulations the excess of mutations with low or moderate effect on fitness  
15 previously evidenced (Boyko, et al. 2008). Indeed, the resulting distributions of  $s$  (and also  $t$ )  
16 really used for our simulations are enriched in low values (Fig. 1A), since (all other things  
17 being equal) complete sweeps tend to be stronger (or older) than incomplete sweeps.  
18 However, we started our analysis by excluding complete sweeps because previous results  
19 support limited numbers of complete sweeps in humans, e.g., lack of extreme differences in  
20 allele frequency between populations due to fixation events (Coop, Pickrell, Kudaravalli, et  
21 al. 2009; Pritchard, et al. 2010; Hernandez, et al. 2011). This data-driven assumption was  
22 further relaxed by considering both complete and incomplete sweeps in our simulations (see  
23 the sections below).

24 We observed a monotonic relationship between  $X$  and the ORs, i.e., the six ORs increase  
25 with  $X$  in every simulated scenario (Fig. 1B, supplementary Fig. S2). As expected, the values

1 of ORs depend on the frequencies of advantageous alleles at the onset of selection  
2 (supplementary Fig. S2). The lowest ORs were obtained when simulating sweeps with initial  
3 frequencies of the advantageous alleles,  $p_{start}$ , ranged from 0.01 to 0.2. Indeed, soft sweeps  
4 typically have weaker effects on linked sites (Przeworski, et al. 2005; Pennings and  
5 Hermisson 2006b; Pritchard, et al. 2010), resulting in a low enrichment of candidate SNPs in  
6 the vicinity of the targets of selection. The highest simulated ORs were obtained for hard  
7 sweeps *stricto sensu* ( $p_{start}=1/2N$ ) and soft sweeps with very low initial frequencies  
8 ( $1/N \leq p_{start} < 0.01$ ). In addition, simulated ORs obtained for these two scenarios were found to be  
9 very similar, as expected (Przeworski, et al. 2005; Peter, et al. 2012; Ferrer-Admetlla, et al.  
10 2014; Jensen 2014). This observation confirms that hard sweeps and soft sweeps on very rare  
11 standing variation are almost indistinguishable on the basis of their outcomes (supplementary  
12 Fig. S2), which justifies the merging of these two scenarios. In the following, we do not  
13 provide separate estimates of the numbers of hard sweeps and only provide estimations of  
14 numbers of sweeps on very rare standing variants as a whole ( $p_{start} < 1\%$ ,  $X_1$ ).

15

### 16 **Odds Ratio for selection are poorly sensitive to demographic assumptions.**

17 As expected, the ORs values follow the power to detect selection as previously assessed for  
18 iHS and XP-EHH assuming various demographic histories (highest, intermediate and lowest  
19 power in the African, European and Asian demography respectively (Pickrell, et al. 2009b)).  
20 For example, the European and Asians ORs found lower than in Africa (Fig. 1B) reflect a  
21 lower enrichment of candidate SNPs, in agreement with the reduced power to detect selection  
22 in bottlenecked populations relative to expanding populations (Pickrell, et al. 2009a; Huff, et  
23 al. 2010; Gunther and Schmid 2011; Grossman, et al. 2013; Fagny, et al. 2014). Interestingly,  
24 only little difference in the behavior of ORs was observed across populations simulated with  
25 contrasting demographic histories (i.e., African expansions vs Eurasian bottlenecks, Fig. 1B).

1 Moreover, the Asian and European simulated ORs are virtual identical albeit slightly lower in  
2 Asia (e.g., 2.3 vs 2.4 in average for iHS with  $X=100$ , Fig. 1B) whereas the Asian bottleneck is  
3 four times stronger than in Europe. These observations suggest that the subsequent ABC  
4 estimations of  $X$  will be weakly affected by potential demographic misspecifications (this  
5 specific point is tested in the next sections below). Taken together, our results show that the  
6 OR for selection contain information on  $X$  (monotonic relationship, see above) without being  
7 largely affected by demography, which supports the use of such a summary statistic in an  
8 ABC framework.

9

### 10 **Accuracy of the ABC estimations**

11 The ABC method was implemented using simulations identical to those presented in Fig. 1,  
12 except that  $X$  was randomly drawn in flat prior distributions,  $X \sim U(0, 200)$  (Online  
13 Methods), opposed to fixed values (priors used for  $s$  and  $t$  are enriched in low values because  
14 we excluded complete sweeps, see Fig. 1A). To assess the accuracy of the estimations (Fig. 2)  
15 we simulated new WGSs following the same recombination and demographic model and  
16 treated them as empirical data for which the parameter values are known (Online Methods).  
17 We found unbiased estimations of  $X$  when simulating African, European or Asian  
18 demography (Fig. 2A), as shown by the linear correlations observed between ABC estimates  
19 and their corresponding true values (Fig. 2B). Such ABC estimates can thus be compared  
20 between populations since they are not biased by specific demographic events, such as the  
21 strong bottlenecks experienced by the non-African populations. We found a similar accuracy  
22 for the estimations of  $X_1$  ( $1/2N \leq p_{start} < 0.01$ ),  $X_2$  ( $0.01 \leq p_{start} < 0.1$ ) and  $X_3$  ( $0.1 \leq p_{start} < 0.2$ ) (Fig.  
23 2B). We also estimated  $S$  and  $T$  in all the demographic scenario simulated (Supplementary  
24 Figs. S3-5) but found a diminished accuracy with respect to the estimations of  $X$  (e.g.,  
25 underestimations and overestimations of  $S$  and  $T$  respectively when the selection is strong and

1 recent in average, Supplementary Figs. S3-4). (As an internal control of the method, the CIs  
2 consistently predicted the range of values within which the true parameters were found  
3 (Supplementary Figs. S6-7, see also the 90% *COV* in Fig. 2B and Supplementary Figs. S3-4).

4 These results show that six ORs used in combination may successfully estimate  $X$ , with  
5 low or moderate credible intervals relative to the simulated priors (Supplementary Fig. S6).  
6 By analogy with normal genome-wide scans, our estimations of  $X$  seem to be weakly  
7 sensitive to false negative and positive signals. False positives do not contribute to ORs  
8 thanks to the use of ENVs as an internal neutral control, as illustrated by the estimations of  $X$   
9 close to 0 under neutrality (Fig 2A) due to ORs fluctuating around one (i.e., similar rates of  
10 candidate SNPs across ENV and PSV classes, Fig 1B). In contrast, every selected region with  
11 more than 1% of candidate SNPs positively contributes to the OR proportionally to its  
12 intrinsic rate of candidate SNPs: selected regions with much more than 1% of candidate SNPs  
13 (e.g., true positives after multiple testing correction) contribute a lot and those with rates  
14 moderately higher than 1% (e.g., false negatives undetected after Bonferroni correction) also  
15 contribute but to a lesser extent. Moreover, thanks to the simulation of parameters that drive  
16 the statistical power to detect sweeps in normal selection scans (e.g., intensity of selection,  
17 demography), the model also predicts the expected fraction of sweeps with rates of candidate  
18 SNPs slightly below neutral thresholds (e.g., false negatives that cannot even be detected at  
19 unadjusted thresholds). Altogether, our estimations are not upward biased by neutral regions  
20 exhibiting spurious signatures of selection and also include a large fraction of sweeps that  
21 would not be detected by normal genome-wide scans (no systematic underestimation of  $X$ ,  
22 Fig. 2).

23 However, these results have been obtained under a perfectly known demography while in  
24 real life, the demography is only partially known. Because our method, like every model-  
25 based method, should be affected by incorrect assumptions which may bias the estimations,

1 we carefully tested the effect of demographic misspecifications on the estimations of  $X$   
2 obtained in each 1000G population (see the next sections below).

3

#### 4 **Limited numbers of incomplete selective sweeps in the 1000G populations**

5 In this first round of estimations we assumed complete sweeps only. We thus analyzed 15  
6 African, European and Asian 1000G populations separately (five populations per continent,  
7 Supplementary Table S1) using priors and simulations shown in Figs. 1A and 2B (the prior  
8 distribution used for  $s$  reproduces the expected enrichment of mutations with low or moderate  
9 effect on fitness (Boyko, et al. 2008)). As in simulations and for each population in which  $X$   
10 was estimated, the two reference populations used to compute the interpopulation statistics  
11 were of differing continental origin, and were chosen from the populations previously used to  
12 calibrate the demographic model used (YRI, CEU or CHB) (Grossman, et al. 2010;  
13 Grossman, et al. 2013). Based on the VEP annotation of the 1000G data, we defined PSVs as  
14 all SNPs located within genic regions, including regions annotated as upstream and  
15 downstream which often contain regulatory elements, as well as any presumed regulatory  
16 sites located in intergenic regions (Supplementary Fig. S8, Online Methods). As already  
17 mentioned, variants neighboring functional mutations need to be included in PSVs to account  
18 for the clustering of candidate SNPs around putative targets of selection (Supplementary Fig.  
19 S1). Under this definition, PSVs account for ~70% of the genome-wide variation (~30% for  
20 ENVs).

21 We jointly estimated the  $X$ s ( $X$ ,  $X_1$ ,  $X_2$  and  $X_3$ ),  $S$  and  $T$  in each population separately,  
22 using candidate SNPs defined genome-wide (top 1% of SNPs) and empirical ORs corrected  
23 for genomic variation in coverage, mutation and recombination rates, as recommended  
24 (Kudaravalli, et al. 2009) (Supplementary Fig. S9, Online Methods). In every population  
25 analyzed, the combination of these six empirical ORs used were found compatible with the

1 simulated ORs outputted by the ABC model (Supplementary Fig. S10). We found a very  
2 limited numbers of selective sweeps (Fig. 3, Supplementary Fig. S11, see also the posterior  
3 predictive checks shown in Supplementary Fig. S12). For example, we estimated 65 [CI:37-  
4 96], 82 [CI:44-123] and 78 [CI:42-115] sweeps in the YRI, CEU and JPT (Japan) populations  
5 (Fig. 3A-C). For comparison, 810, 1,013 and 1,059 selective sweeps were previously found in  
6 these populations respectively (Schridder and Kern 2017). Overall, we estimated 62 [CI:36-  
7 91], 71 [CI:35-111] and 88 [CI:50-127] sweeps on average for the African, European and  
8 Asian continents (the estimates obtained in each population can be found in the  
9 Supplementary Table S2).

10

### 11 **Robustness of the estimated numbers of selective sweeps**

12 We checked the robustness of the estimations of  $X$  obtained in our first round of estimations  
13 shown in Fig. 3. First, we found consistent results using different combinations of summary  
14 statistics (Supplementary Fig. S13). We next checked the effects of potential demographic  
15 misspecifications (Supplementary Figs. S14-17). We adopted a strategy based on stress tests  
16 to evaluate the differences in numbers of estimated sweeps obtained when drastically  
17 modifying the demographic assumptions, e.g., replacing an expansion with a bottleneck or  
18 largely increasing bottleneck intensities (we used models in the range of demography  
19 previously inferred in human). We assessed this by swapping empirical and simulated ORs  
20 from differing continental regions, e.g., analyzing the African 1000G populations using ORs  
21 simulated under an Asian demographic model and inversely. Above all, we found very similar  
22 numbers of sweeps when setting such incorrect demographic scenarios in the model  
23 (Supplementary Figs. S15-16, details can be found in the Supplementary Table S2). The  
24 higher values of  $X$  estimated in Africa under an Asian demographic model, i.e., 85 [CI:51-  
25 121] (Supplementary Fig. S15) *vs* 62 [CI:36-91] sweeps on average, are simply due to lower

1 simulated ORs (see the simulated ORs under African and Asian demography in Fig. 1B). The  
2 new estimations of  $X$  are increased because simulated ORs generated by larger  $X$  provide now  
3 a better fit with empirical ORs (see the graphical explanations given in Supplementary Fig.  
4 S14). We also re-analyzed the 1000G European populations under an Asian demographic  
5 model (Supplementary Fig. S16), i.e., now setting a bottleneck four times stronger than in our  
6 first round of estimations. The new estimations of  $X$  are only slightly increased, i.e., 83  
7 [CI:48-120] (Supplementary Fig. S16) vs 71 [CI:35-111] sweeps on average, because ORs  
8 simulated under an Asian demography are only slightly lower than under an European  
9 demography (see also Fig. 1B and Supplementary Fig. S14). By symmetry, we obtained  
10 smaller estimated  $X$  in Asia when assuming a European demography (Supplementary Figs.  
11 S14 and S16). Finally, we also modified several technical steps all at once, i.e., we set a 10%  
12 higher recombination rate in ENVs than in PSVs (Kong, et al. 2010), excluded selection  
13 signal found in ENVs (excluding ENVs in regions significantly enriched in candidate SNPs)  
14 and used empirical 1000G ORs computed merging all chromosomes together. We also found  
15 very similar, albeit slightly decreased, estimations of  $X$  (highly overlapping CIs when  
16 comparing with the first round of estimations, Supplementary Fig. S18).

17 Our stress tests confirmed the very limited numbers of sweeps found in this study.  
18 Notably, almost all re-estimated  $X$  fall within the 95% CIs boundaries of the initial  
19 estimations. Because a true demographic model does not exist, we did not used other models  
20 previously inferred in humans to re-estimate  $X$  (every inferred model poorly reproduces or  
21 totally ignores a given component of the human demography). We acknowledge that new  
22 estimations of  $X$  performed under other demographic models will differ but, given the low  
23 differences in numbers of sweeps found in our stress tests, they should not change in large  
24 proportions. What is of importance in the context of this study is that the very limited  
25 numbers of sweeps found cannot be explained by poorly inferred demographic parameters

1 (see the little biases expected when assuming four time stronger/weaker bottlenecks than in  
2 reality, Supplementary Fig. S17).

3

#### 4 **Limited numbers of sweeps when also considering complete sweeps**

5 For reasons mentioned above, our first round of estimations was performed considering  
6 incomplete sweeps only whereas the high numbers of soft sweeps previously detected mainly  
7 refer to complete sweeps (Schrider and Kern 2017). We thus relaxed our assumption by  
8 simulating both complete and incomplete selective sweeps using flat prior distributions for  $t$ ,  
9 as assumed previously (Schrider and Kern 2017), and several priors for  $s$ . The estimates  
10 obtained under these priors, including the flat prior for  $s$  previously used (Schrider and Kern  
11 2017), are given in the Supplementary Fig. 19 and Supplementary Table S2. When  
12 considering priors enriched in small  $s$  values by using an equal mix between a Gamma  
13 distribution (60% of  $s \leq 0.01$ ) (Boyko, et al. 2008) and a L-shape distribution (90% of  $s \leq 0.01$ ),  
14 our method also provides unbiased estimations of  $X$  (Fig. 4A), since the ORs also reflect the  $X$   
15 (Fig. 4B). As expected, the new estimated values of  $X$  are increased with respect to our first  
16 round of estimations, i.e., 115 [CI:68-160] and 165 [CI:119-211] sweeps on average in  
17 Europe and Asia (Fig. 4C, Supplementary Table S2), because of lower simulated ORs (Fig.  
18 4B), in agreement with the reduced power to detect sweeps at fixation using neutrality  
19 statistics such as  $iHS$  (Voight, et al. 2006). However, our estimations are still far from the  
20 thousand of sweeps previously estimated per non-African population (Schrider and Kern  
21 2017).

22

#### 23 **A trend toward more sweeps among non-African populations**

24 As expected given the higher derived allele frequencies (DAFs) observed outside Africa  
25 (Coop, Pickrell, Novembre, et al. 2009) we found a non-significant trend toward younger

1 selection of higher intensity in non-Africans (overlapping CIs of the  $S$  and  $T$  estimates, Fig.  
2 3E-F, Supplementary Table S2). For example, our  $S$  estimates (obtained assuming incomplete  
3 sweeps only) were found higher in CEU than in YRI, i.e., 0.015 [CI:0.01-0.03] vs 0.09 [CI:0-  
4 0.02], in agreement with previous estimations (0.034 vs 0.022 in the same populations  
5 (Hawks, et al. 2007)). Our estimates are significantly lower likely because the selection  
6 models assumed differ (dominant model vs additivity in the present study). Moreover, our  
7 method may underestimate  $S$  when selection is strong as acknowledged above  
8 (Supplementary Fig. S3). We also found a trend toward more sweeps among non-African  
9 populations, particularly in Asia (Fig. 3A-C). For example, we estimated 68 [CI:46-91] and  
10 165 [CI:119-211] sweeps in average in Africa and Asia respectively when including complete  
11 sweeps in our model (Supplementary Table S2). As the non-African estimates of  $X_2$  and  $X_3$   
12 were consistently found higher than in Africa (Fig. 3D and Supplementary Figs. S18-19), our  
13 results also suggest more soft sweeps with low and intermediate initial frequencies  
14 ( $0.01 \leq p_{start} < 0.2$ ,  $X_2 + X_3$ ) in Eurasian populations. Our estimations of higher numbers of  
15 sweeps in Eurasians populations are in agreement with greater numbers of sweeps detected  
16 outside Africa (Granka, et al. 2012; Pybus, et al. 2015; Schrider and Kern 2016).

17

### 18 **Selection signals in 1000G populations tend to be continent-specific**

19 The method used here relies on genome-wide enrichment of candidate SNPs of selection in  
20 extended genic regions. We thus determined the genomic regions which contribute to this  
21 genome-wide enrichment, i.e., those enriched in candidate SNPs for the same neutrality  
22 statistics as used in our ABC estimations (Online Methods). We found that the most enriched  
23 genomic regions contain multiple iconic examples of positive selection, e.g., the *LCT* region  
24 in northern Europeans (Bersaglieri, et al. 2004), *EDAR* in all Asian populations and *TLR5* in  
25 Africa (Grossman, et al. 2013), as well as various other examples including genes associated

1 with lighter skin pigmentation (Supplementary Text, see the most enriched genomic regions  
2 in Supplementary Table S3). This indicates that the information underlying our estimations  
3 corresponds to genomic signals in line with natural selection. We next investigated the  
4 overlap of these enriched genomic regions across populations (Online Methods) to roughly  
5 estimate the number of sweeps in humans as a whole. We found virtually no overlap between  
6 populations from different continents (Supplementary Fig. S20), with some exceptions that  
7 are indicated in Supplementary Fig. S21A and Supplementary Table S3. In contrast, the most  
8 enriched regions tend to be shared across populations from the same continent  
9 (Supplementary Fig. S20, Supplementary Table S3, an example given in Supplementary Fig.  
10 S21B). These results indicate that the total number of sweeps in humans should be close to  
11 the summation of the mean  $X$  computed per continent; i.e., 221 [CI:122-329] (Supplementary  
12 Table S2), a first order approximation neglecting some selection signals shared across  
13 continents and considering sweeps are highly shared within continents.

14

## 15 **Discussion**

16 Our study revealed very limited numbers of selective sweeps in humans regardless the  
17 selection model considered (i.e., considering or not complete sweeps). We did not use  
18 McDonald–Kreitman-based methods since such methods aim to infer adaptation rate since  
19 divergence with other primate species (Uricchio, et al. 2019), and are potentially weakly  
20 sensitive to recent selective sweeps within species (Messer and Petrov 2013). Instead, we  
21 implemented an *ad hoc* ABC method to formally quantify numbers of selective sweeps over  
22 shorter time spans (~100,000ya). This method does not scan genomic regions separately and  
23 thus cannot provide lists of genomic region under selection (normal genome-wide scans can  
24 be conducted in parallel, as we did in this study). It nevertheless helps to alleviate the load of  
25 false positives described in introduction (weakly or moderately stringent detection thresholds

1 used to capture some sweeps of weak intensity provide large numbers of sweeps mainly  
2 explained by false discoveries while highly stringent thresholds used to discard false positives  
3 provide low numbers of detected sweeps poorly representative of the extent of selection  
4 operating in populations). Here, using selection signals at 1% threshold we showed that  
5 convenient statistics such as the OR for selection can provide suitable information to quantify  
6 real numbers of selective sweeps in populations. Note that a similar ABC method can be  
7 implemented using more than six ORs when background selection is explicitly simulated in  
8 the ABC model, including ORs computed for  $F_{ST}$ , AFS-based statistics and others (the  
9 expected gain in accuracy remains to be formally assessed).

10 Our estimations are not perfect and can still be improved. For example, we may have  
11 missed some selective sweeps hidden in regions not yet classified as functional (selection  
12 signals found in empirical ENVs downward bias the  $X$  estimations by decreasing the  
13 empirical ORs). However, 70% of the genome was considered as potentially influenced by  
14 selection and all significant signals of positive selection found in intergenic regions have been  
15 accounted for (e.g., Supplementary Fig. S18), suggesting that we captured a large fraction of  
16 the existing selective sweeps. Simulating whole chromosomes is still barely tractable in term  
17 of computation times. We thus concatenated shorter simulated regions together, trimming  
18 their edges and avoiding computation of any neutrality statistics across the junctions. This  
19 insures that haplotype-based statistics were computed over linked SNPs simulated according  
20 to human recombination rates. The demographic model assumed incorporates major  
21 components of human demography (e.g., expansion, bottleneck and isolation-with-migration)  
22 but some other aspects are ignored, such as the admixture with ancient hominids. However,  
23 we found low differences in simulated ORs obtained with contrasting demographic histories,  
24 we found similar estimations of  $X$  when replacing an expansion with a bottleneck, and only  
25 slight overestimations of  $X$  when the bottleneck assumed is four times stronger than in reality.

1 Although we do not wish to claim that we have found the exact numbers of selective sweeps  
2 (as if the demography was exactly known), our results indicate that the limited numbers of  
3 sweeps estimated herein are not due to our demographic assumptions. Note that discrepancies  
4 between point estimates across populations of the same continents must be interpreted with  
5 cautious in term of selection (point estimates with highly overlapping CIs should be  
6 considered as indistinguishable). They are likely explained by local demographic specificities  
7 that are not properly accounted by the model (e.g.,  $X$  was sometime found lower in FIN than  
8 in CEU potentially because of a stronger bottleneck in the Finnish population (Bulik-Sullivan,  
9 et al. 2015)).

10 A main result of our study is the very limited numbers of selective sweeps inferred over  
11 the last ~100,000 years, even when modelling both complete and incomplete sweeps. It is  
12 worth mentioning that our method can estimate  $X$  despite being based on neutrality statistics  
13 that cannot even be computed when the selected alleles are fixed, e.g., iHS (even lower, ORs  
14 are informative because the relationship with  $X$  is maintained). This illustrates the importance  
15 of defining as PSVs the SNPs nearby selection targets because our method uses information at  
16 linked sites through the enrichment of candidate SNPs around the fixed selected alleles.  
17 Assuming similar sweep completion times (ranging from 0 to 3,000 generations) and similar  
18 initial frequencies of selected alleles (ranging from  $1/2N$  to 0.2), we estimated a much lower  
19 number of selective sweeps in Europe and Asia (115 [CI:68-160] and 165 [CI:119-211]  
20 respectively) than previously detected in CEU (~1,013 sweeps) and JPT (~1,059 sweeps)  
21 (Schridder and Kern 2017). Beside our estimations, ~1,000 sweeps should result in simulated  
22 ORs too large to be compatible with the empirical ORs observed (Fig. 1B, Fig. 4B),  
23 suggesting that the majority of these predicted soft sweeps can be explained as mis-classified  
24 neutral regions, as pointed by (Harris, et al. 2018). Nevertheless, even though we voluntary  
25 considered the same time span as used by Schridder and Kern in their training simulated

1 datasets we may have missed some older selection signals that could be captured by their  
2 machine learning algorithm (our CIs should be enlarged when considering older selection  
3 ages in our ABC model). In addition, we also estimated, except in Africa, lower numbers of  
4 sweeps than previously detected based on another machine learning algorithm (355 and 424  
5 detected sweeps in CEU and CHB respectively (Pybus, et al. 2015)). Apart from the  
6 sensitivity to false positives of this method based on detected/classified sites, such  
7 discrepancies are difficult to interpret because the machine learning algorithm has been  
8 trained using hard sweeps only, ignoring the soft sweep model.

9 More generally, we showed that our method can easily be extended to incorporate  
10 complete sweeps. In doing so, we estimated ~twice more selective sweeps in Eurasia than  
11 assuming complete sweeps only, e.g., 165 vs 88 sweeps in Asia (Supplementary Table S2).  
12 Our results thus suggest limited numbers of complete sweeps over the last ~100,000 years  
13 (e.g., at most 165 complete sweeps in Asia) and confirm that recent human adaptation has  
14 also been driven by a significant fraction of incomplete sweeps, some of them potentially  
15 ongoing (Wilde, et al. 2014; Field, et al. 2016). (Nearly all iconic sweeps are associated with a  
16 putative advantageous mutations still segregating in current generations (Vitti, et al. 2013;  
17 Jeong and Di Rienzo 2014; Fan, et al. 2016)). A similar ABC approach can be further  
18 designed to formally estimate the numbers of complete and incomplete sweeps specifically.

19 We also estimated a majority of sweeps with initial frequencies greater than 1%  
20 ( $0.01 \leq p_{start} < 0.2$ ,  $X_2 + X_3$ ), the rest being sweeps on very rare standing variants  
21 ( $1/2N \leq p_{start} < 0.01$ ,  $X_1$ ). Given the known difficulty to distinguish between hard and soft  
22 sweeps even for initial frequencies ranged to 0.2 (see some high miss-classification rates in  
23 (Schridder and Kern 2017; Harris, et al. 2018)), we did not provide separate estimates of the  
24 numbers of hard and soft sweeps on very rare standing variants. The numbers of hard sweeps  
25 remain unknown and may thus range from 0 to the estimated value of  $X_1$ . However, our

1 results ( $X_1 < X_2 + X_3$ ) confirm soft sweeps as main drivers of human adaptation relative to hard  
2 sweeps (Schrider and Kern 2017) (some examples have already been described in humans  
3 (Peter, et al. 2012) and also in drosophila (Garud, et al. 2015), the latter have been discussed  
4 in (Harris, et al. 2018)). Nevertheless, we only observed a moderate excess of sweeps on  
5 standing variants with frequency higher than 1% ( $X_2 + X_3 \approx 2/3X$ ) because the proportion of  
6 mutations with frequency greater than 1% drastically drops, as predicted by theory and  
7 consistent with what is observed in extant populations (a mutation becomes advantageous  
8 irrespective to its frequency). It is worth mentioning that we also found greater numbers of  
9 such soft sweeps outside Africa (see the  $X_2$  and  $X_3$  estimated, Fig. 3D and Supplementary Fig.  
10 S19A). It is not necessary to assume biological features or changes in selective regimes in  
11 Eurasia since the proportion of such sweeps also depends on the demography of the  
12 populations considered. Indeed, the loss (by genetic drift) of selected alleles at very low  
13 frequency during the first generations of selection may be exacerbated in bottlenecked  
14 populations relative to expanding populations. This may causes diminished numbers of  
15 sweeps on very rare variants in Eurasian populations relative to Africa, and consequently, a  
16 mechanical excess of sweeps on the other standing variants (with frequency higher than 1%)  
17 outside Africa.

18 We would-like to emphasize that the scenario of positive selection on standing variation  
19 investigated here is not related to polygenic adaptation (Pritchard and Di Rienzo 2010;  
20 Pritchard, et al. 2010). Because biological processes likely differ (very few advantageous  
21 alleles with large phenotypic effects vs many advantageous alleles with small phenotypic  
22 effects), soft sweeps drive to fixation while polygenic adaptation refers to moderate changes  
23 of selected allele frequencies only (Pritchard, et al. 2010). Hence, the neutrality statistics used  
24 in this study, which are poorly sensitive to small changes in allele frequencies, do not capture  
25 the pervasive effects of polygenic adaptation in humans (Field, et al. 2016). Instead, the

1 number of selective sweeps we report should be interpreted as the minimum number of  
2 sweeps having occurred in a population. For example, given the important reproductive  
3 function of the *SPAG4* gene (Kracklauer, et al. 2010), the species-wide selection signal found  
4 near this gene (Supplementary Fig. S21A) is consistent with a single selection hit in each  
5 continent independently. However, other functional variants found near the *SPAG4* region  
6 suggest a more complex scenario in Asia, involving several independent selection hits in the  
7 Asian lineage specifically, e.g., regulatory variants of *GDF5* have also been found under  
8 selection in Asia (Capellini, et al. 2017).

9 Finally, the higher numbers of sweeps we estimated in non-African populations support  
10 models in which more adaptation is expected when populations colonize new environments.  
11 In an already colonized environment, populations also need to adapt to environmental  
12 pressures that can change over time. The continent-specific signal of selection shared among  
13 all European populations, encompasses eQTLs downregulating the expression of the *PLEK2*  
14 gene (Supplementary Fig. S21B) in skin cells exposed to the sun (GTEx database, (Ardlie, et  
15 al. 2015)). The cold paleoclimate (last ice age, from ~110 to ~10kya (Cooper, et al. 2015))  
16 favored both light skin pigmentation and increased sensitivity to UV-induced melanoma in  
17 Europe (Lopez, et al. 2014; Key, et al. 2016) while low expressions of *PLEK2* may increase  
18 the survival probability in melanoma patients (Supplementary Text). The alleles  
19 downregulating *PLEK2* could have been favored by selection during the late Pleistocene  
20 climatic warming (~20 to ~10kya), as supported by selection signal of ~1-1.2Mb suggesting a  
21 recent onset of selection that may coincide with the increase of regional temperatures and  
22 solar luminosity in the northern hemisphere (Luo, et al. 2011) (Supplementary Text).

23 Our study provides independent lines of evidence that selective sweeps, despite their  
24 small numbers with respect to other modes of adaptation such as negative selection or  
25 polygenic adaptation, enabled human populations to adapt to environmental pressures. The

1 method proposed can be applied in other species (e.g., *Drosophila* (Garud, et al. 2015), mouse  
2 (Ihle, et al. 2006), domesticated animal breeds (Stella, et al. 2010; Roux, et al. 2015),  
3 domestic dogs (Freedman, et al. 2016) and horses (Librado, et al. 2015)) and extended to  
4 other modes of selection (e.g., adaptive introgression from ancient hominids or short-term  
5 balancing selection), allowing for broader investigations of the impact of extreme  
6 environments, domestication or mode of reproduction on recent adaptive evolution of species.  
7

## 1 **Materials and Methods**

### 2 **1000 Genomes populations analyzed**

3 Analyses were performed on the 1000 Genomes Project phase 3 data, focusing on African,  
4 European and Asian populations. We analyzed 1,511 individuals from five African, five  
5 European and five East-Asian populations (85 to 113 individuals per population,  
6 Supplementary Table S1), excluding populations with diverse continental or admixed  
7 ancestry, for which little demographic history information was available. We downloaded  
8 phased data obtained with SHAPEIT2 (Delaneau, et al. 2012), ancestral/derived states and  
9 VEP annotations from the 1000G Project website.

10

### 11 **Simulating WGSs**

12 We carried out computer simulations of WGSs with various  $X$  values, ranging from 0  
13 (neutrality) to  $>200$  per population. The simulated WGSs mimicked the 1000G data, with  
14 millions of SNPs spread over the genomes of  $\sim 100$  unrelated individuals per population. As  
15 we focused on the adaptive history of African, European and Asian populations in this study,  
16 we systematically simulated triplets of populations according to inferred models of African,  
17 European and Asian demography: the population with  $X$  loci under positive selection and two  
18 other neutral populations ( $X=0$ ), used as a reference for computations of interpopulation  
19 neutrality statistics. Specifically, we used a three-populations isolation-with-migration model  
20 (the parameters used can be found in (Grossman, et al. 2013)). This model incorporates an  
21 ancient African expansion, an Out-of-Africa exodus  $\sim 100$  kya (28 years per generation  
22 (Fenner 2005; Moorjani, et al. 2016)) followed by a bottleneck and a split of Eurasians into  
23 European and Asian populations  $\sim 58$ kya. This model also reproduces different migration rates  
24 between continents, with a probability of the order of  $10^{-5}$  per haploid genome per generation.

1 One key feature is the presence of two population bottlenecks in non-African populations, the  
2 second bottleneck being stronger in the Asian population (Pickrell, et al. 2009b).

3 We used SLiM (Haller and Messer 2017) to simulate 5Mb regions sequenced in 100  
4 unrelated individuals per population, using human recombination rates sampled from the  
5 HapMap recombination maps (Frazer, et al. 2007). We simulated  $10^4$  neutrally evolving DNA  
6 regions and  $2 \times 10^3$  selected DNA regions. For each triplet of populations, we simulated  
7 selection in the population of interest (African, Asian or European) by inserting (in the middle  
8 of the region) an advantageous mutation at generation  $t$ , with a frequency,  $p_{start}$ , ranging from  
9  $1/2N$  to 0.2 as previously assumed (Schridder and Kern 2017). The  $p_{start}$  was randomly drawn  
10 from the allele frequency spectrum at the generation  $t$ . The intensities and ages of selection  
11 were randomly drawn from specified distributions (see main text). It is worth mentioning that  
12 we simulated long DNA regions to avoid premature truncation because selection signals can  
13 extent over mega bases for selection events, particularly recent and/or strong events, i.e.,  
14 ~2Mb in the LCT region (various estimates of  $s$  for rs4988135 ranged from 0.025 to 0.069  
15 (Tishkoff, et al. 2007; Peter, et al. 2012; Chen, et al. 2015)). Because SLiM is a forward-in-  
16 time simulator, the computation times, which depend on both the effective population size  $N$   
17 and the  $t$  generations simulated, are large for the model investigated. We therefore optimized  
18 computational times by rescaling effective population sizes and times according to  $N/\lambda$  and  
19  $t/\lambda$  with  $\lambda = 10$  (Hoggart, et al. 2007). We used rescaled mutation and recombination rates,  
20  $\lambda\mu$  and  $\lambda r$ . Similarly, because we divided the number of generations by  $\lambda$ , the selection  
21 parameter  $s$  must be multiplied by the same factor (Hoggart, et al. 2007; Haller and Messer  
22 2017). Finally, WGSs were obtained by concatenating randomly drawn 5Mb regions, some of  
23 which were considered to be ENVs, the rest being PSVs (see below). We built WGSs by  
24 restricting the  $X$  simulated sweeps to PSV regions, because ENV genomic regions are, by

1 definition, neutral. The ABC simulations used for estimations are simulated sets of such  
2 WGSs ( $10^5$  simulated WGSs, the prior distributions used for  $X$ ,  $S$  and  $T$  are specified below).

3

#### 4 **PSVs in simulated WGSs**

5 PSVs (Supplementary Fig. S1A) are all sites potentially influenced by selection either directly  
6 (all potential targets of selection, i.e. all variants altering phenotypes in real data) or indirectly  
7 (all neutral SNPs in the vicinity of a potential target of selection). The probability  $\xi_i$  that the  
8  $i^{\text{th}}$  SNP is influenced by selection starts from 0 (neutral SNP far from the potential targets of  
9 selection) and increase to 1 when approaching a potential target of selection. In this analysis,  
10 we discretized this probability by considering an indicator variable  $I_i$ , assigned to SNP  $i$  and  
11 equal to 1 (PSV) or 0 (ENV):

$$12 \quad I_i \begin{cases} 1 \text{ when } \xi_i > 0 & ; \text{ PSV} \\ 0 \text{ when } \xi_i = 0 & ; \text{ ENV} \end{cases}$$

13 In simulated WGSs, the PSVs are randomly simulated as tracts of SNPs with  $I_i=1$  randomly  
14 spread over the genomes. We reproduced the same proportion of PSVs as observed in 1000G  
15 populations, with numbers of simulated SNPs per population matching those observed in  
16 1000G populations. In our simulations the recombination rates are randomly sampled in  
17 human recombination maps and are thus similar across PSVs and ENVs. However, in real  
18 data the recombination rate is lower in genes than in intergenic regions. Initially lower in  
19 genes it suddenly increases in flanking regions and progressively decreases with distance  
20 from the nearest gene to become lower in remote intergenic regions (Myers, et al. 2005;  
21 Coop, et al. 2008; Kong, et al. 2010), making our simulations conservative with respect to the  
22 rates of candidate SNPs in ENVs far from genes. We however also tested higher  
23 recombination rates in ENVs than in PSVs (Kong, et al. 2010) and re-estimated the  
24 parameters accordingly (supplementary Fig. S18).

1

## 2 **Neutrality statistics and candidate SNPs in simulated WGSs**

3 For each simulated WGS, we computed several widely used neutrality statistics expected to  
4 have extreme values for SNPs targeted by selection or located close to such SNPs. We used  
5 haplotype-based neutrality statistics, which compare the haplotypes carrying the derived and  
6 ancestral alleles, *iHS*, *DIND*,  $\Delta iHH$ , and the derived alleles between populations, *XP-EHH*.  
7 We also used the Fay and Wu's *H*, which detect deviations from the neutral allele frequency  
8 spectrum (AFS) in short genomic regions. We used a sliding-windows approach (100 kb  
9 windows centered on each SNP (Fagny, et al. 2014)) for these computations. The sliding-  
10 windows began and ended 50kb from the edges of the 5Mb simulated regions, to prevent  
11 truncation in the 100 kb sliding windows (a similar approach was applied to the 1000G  
12 chromosomes). As *iHS*, *DIND*,  $\Delta iHH$  and *XP-EHH* are sensitive to the inferred  
13 ancestral/derived state, we computed these statistics only when the derived state was  
14 determined unambiguously (Fagny, et al. 2014) (i.e. more than 95% of SNPs). We then  
15 normalized these statistics by DAF bin (Voight, et al. 2006; Fagny, et al. 2014) (mutations  
16 grouped by DAF bin, from 0 to 1, in increments of 0.025). We minimized the false-positive  
17 discovery by excluding SNPs with a DAF below 0.2, as the power to detect positive selection  
18 has been shown to be limited at such low frequencies (Voight, et al. 2006; Fagny, et al. 2014).  
19 The method used are implemented in *selink*, a software to detect selection using whole-  
20 genome datasets (<https://github.com/h-e-g/selink>). Finally, for each neutrality statistic, we  
21 defined candidate SNPs of selection as the 1% of SNPs with the most extreme values over  $10^4$   
22 neutral simulations. For *iHS*, *DIND*,  $\Delta iHH$  and *XP-EHHs*, we considered extreme values  
23 indicative for selection targeting the derived alleles, e.g, large negative values of *iHS* indicate  
24 unusually long haplotypes carrying the derived allele.

1 We choose these neutrality statistics because the widespread effects of background  
2 selection may be confounded with positive selection as mentioned in the main text. For  
3 example, the Tajima's D is sensitive to BGS (Zeng, et al. 2006) and the differences in allele  
4 frequencies between-population are expected to be exacerbated in regions affected by BGS, a  
5 pattern that can be confounded with positive selection (Coop, Pickrell, Novembre, et al. 2009;  
6 Pickrell, et al. 2009b; Pritchard, et al. 2010). We excluded  $F_{ST}$ , Tajima's D and others  
7 similarly affected by BGS. We only retained Fay and Wu's H and the haplotype-based  
8 statistics previously found to be insensitive to BGS (Zeng, et al. 2006; Fagny, et al. 2014),  
9 e.g., haplotype-based statistics compare haplotypes carrying the derived allele with those  
10 carrying the ancestral alleles as internal controls that should be affected by BGS to a similar  
11 extent. We used this approach (excluding statistics sensitive to BGS) rather than simulating  
12 widespread BGS, because we aimed to avoid bias in our ABC estimations due to the  
13 imperfectly known patterns of BGS on the human genome.

14

### 15 **Odds ratio for selection used as ABC summary statistics**

16 The summary statistics used in the present study were the odds ratio for selection  
17 (Kudaravalli, et al. 2009; Fagny, et al. 2014), computed for the population of interest (with  $X$   
18 simulated or estimated), for each WGS (simulated or 1000G) and each neutrality statistic  
19 separately. Each OR assesses the enrichment of candidate SNPs in PSVs, as follows:

$$20 \quad OR = \left[ \frac{P(PSV|Candidate)}{P(PSV|\overline{Candidate})} \right] \left[ \frac{P(ENV|\overline{Candidate})}{P(ENV|Candidate)} \right],$$

21 with *Candidate* and  $\overline{Candidate}$  being candidate and non-candidate SNPs, respectively (see  
22 above). The OR is greater than 1 if positive selection has preferentially occurred in functional  
23 regions, because such selection tends to increase the number of candidate SNPs across the  
24 selective sweep regions (Voight, et al. 2006).

1

## 2 **ABC prior distributions, acceptance rules and accuracy validation**

3 We randomly draw  $X$  from a uniform prior distribution  $X \sim U(0, > 200)$ , where  $X=0$  is a  
4 neutral WGS. Priors for mean intensity and age,  $S$  and  $T$ , were derived from the priors for  $s$   
5 and  $t$  used to simulate the  $X$  sweeps (the priors used are indicated in main text). We used the  
6 ‘abc’ R package and the standard ABC method (Beaumont, et al. 2002), in which posteriors  
7 are constructed from simulated parameters accepted and adjusted by local linear regression  
8 (method=“Loclinear” in the ‘abc’ package). The accepted simulated parameters are those  
9 which provide the best fit with empirical data (the ‘abc’ parameter ‘tol’ was set to be equal to  
10 0.005). We used the mean of the posterior distribution as point estimate and provided the 95%  
11 credible interval boundaries (computed from the posterior distribution).

12 To test the accuracy of our estimations, we compared the estimated and simulated  
13 parameter values,  $\hat{\theta}_i$  and  $\theta_i$  respectively, using classical accuracy indices: the relative error  $rE$   
14 (i.e. difference between estimated and true values, expressed as a proportion of the true value,  
15  $rE = (\hat{\theta}_i - \theta_i)/\theta_i, i = 1, \dots, J$ ), the relative root of the mean square error,  $rRMSE$  (i.e. the  
16 root of the MSE expressed as a proportion of the true value), and the proportion of true values  
17 within the 90% credible interval of estimates,  $90\%COV = \frac{1}{J} \sum_1^J 1(q_1 < \theta_i < q_2)$  where  $1(C)$   
18 is the indicative function (equal to 1 when  $C$  is true, 0 otherwise) and  $q_1$  and  $q_2$ , the  
19 corresponding percentiles of the posterior distributions.

20

## 21 **Defining PSVs in the 1000G data**

22 The definition of the PSVs in the 1000G populations is based on the VEP (Ensembl Variant  
23 Effect Predictor, Supplementary Fig. S8) annotations provided by the 1000G website. We  
24 included in PSVs the potential targets of selection as exhaustively as possible. We considered  
25 as PSVs missense variants, stop-gained mutations and all the regulatory variants, including

1 SNPs located in the regions 5' and 3' to genes (regions expected to be enriched in eQTLs)  
2 together with the transcription factor binding sites located farther away from genes. As in  
3 simulations, we included all SNPs located in the vicinity of these potential direct targets of  
4 selection to take into account the hitchhiking effects of selection at nearby linked loci. For  
5 example, in the case of the high-altitude adaptation in humans, two of the largest Tibetan-Han  
6 frequency differences found in EPAS1 were annotated as intronic (Yi, et al. 2010). Hence, all  
7 synonymous, intronic, 5' and 3'UTR SNPs (i.e., ~50% of annotated SNPs) are included in  
8 PSVs. We also included upstream/downstream SNPs in PSVs to prevent early truncations of  
9 selective sweep signals. With such filters, ~70% of 1000G SNPs were considered to be PSVs.

10 Finally, some particular cases are hardly tractable based on VEP annotation only. These  
11 include the selected sites that are unknown functional variants annotated as intergenic, small  
12 regulatory regions located far from other PSVs and regulatory variants located in edges of  
13 PSVs tracts. In these situations, selection signals may be found in ENV and therefore can bias  
14 downward our estimations (selection signals found in ENV cause lower empirical ORs). To  
15 minimize such estimation biases, we annotated as PSVs all the SNPs with a genome-wide  
16 significant enrichment in candidate SNPs (this enrichment is computed using 100 kb centered  
17 on every SNP, see below). High enrichment are indicative of selection, since, as stated above,  
18 positive selection produces clusters of candidate SNPs (Voight, et al. 2006). This step has  
19 only a marginal effect on the total number of SNPs classified as PSVs (~0.01% of SNPs  
20 reallocated), but it can inflate neutral ORs (e.g., OR computed for iHS from purely neutral  
21 simulations,  $X=0$ , is equal to 1.2 rather than 1). We therefore reproduced this step in the  
22 simulations used to obtain ABC estimations for 1000G populations, i.e., the simulated SNPs  
23 annotated as PSVs included all simulated SNPs with a significant enrichment in candidate  
24 SNPs. We also performed a round of estimation after removing from the analysis all ENVs  
25 with a significant enrichment in candidate SNPs of selection (supplementary Fig. S18).

1

## 2 **Odds ratio for selection in the 1000G populations**

3 When analyzing the 1000G populations, we computed the ORs using a logistic regression to  
4 control for several covariates (Kudaravalli, et al. 2009), including genomic variation in  
5 sequencing quality, recombination and mutation rates. For each neutrality statistic and  
6 chromosome, we set

$$\begin{aligned} 7 \quad \text{Logit}[I(PSV = 1)] \\ 8 \quad &= \beta_1 I(\text{Candidate SNP} = 1) \\ 9 \quad &+ [\beta_2 \text{Cov} + \beta_3 \text{Rec} + \beta_4 \text{NbSNP} + \beta_5 \text{Cov} * \text{Rec} + \beta_6 \text{Rec} * \text{NbSNP} \\ 10 \quad &+ \beta_7 \text{NbSNP} * \text{Cov}] + \varepsilon \end{aligned}$$

11 with  $I(PSV = 1)$ , the indicator function, equal to 1 if the SNP is a PSV, or 0 otherwise,  
12  $I(\text{Candidate SNP} = 1)$  being an indicator function equal to 1 if the SNP is a candidate SNP  
13 of selection or 0 otherwise (candidate SNPs are the 1% of SNPs with the most extreme values  
14 genome-wide). Rec is the mean recombination rate in cM/bp (obtained from HapMap  
15 recombination maps), Cov is the mean coverage, and NbSNP is the number of SNPs  
16 computed with 100 kb sliding windows. The OR was estimated with  $\exp(\beta_1)$  and averaged  
17 over chromosomes (Kudaravalli, et al. 2009). We also performed a round of estimation using  
18 empirical ORs computed merging all chromosomes together (supplementary Fig. S18).

19

20

## 21 **Assessing the genomic regions enriched in candidate SNPs of selection**

22 For each SNP and each of the six neutrality statistics used in the ABC estimations (see main  
23 text), we computed the proportion of candidate SNPs in a 100 kb window around the SNP  
24 being considered. We next determined the empirical  $P$ -values ( $P$ ) for these proportions and  
25 combined them into a single combined selection score (denoted by CSS) using a Fisher score,

1  $CSS = -2 \sum_1^6 \log(P_i)$  (Deschamps, et al. 2016). The rationale behind such a composite  
2 approach (Grossman, et al. 2010; Grossman, et al. 2013; Deschamps, et al. 2016) is that  
3 neutrality statistics are more strongly correlated for positively selected variants than for  
4 neutral sites (Grossman, et al. 2013). Consequently, false positives may harbor extreme values  
5 for a few neutrality statistics only, whereas SNPs genuinely selected (or nearby SNPs) should  
6 harbor extreme values for several statistics together, a feature captured by the combined score.  
7 Finally, the genomic regions enriched in candidate SNPs were defined as consecutive SNPs  
8 with genome-wide significant CSS values ( $P < 0.01$ ). In these enriched regions, the strength of  
9 selection signal has been related to the magnitude of the enrichment in candidate SNPs  
10 through the maximum CSS value found in the region. Indeed, high combined selection score  
11 values are expected for SNPs targeted by young and strong selection and for the others SNPs  
12 nearby, e.g., SNPs nearby rs4988235 (*LCT* region) were found among the highest CSS values  
13 found genome-wide (Supplementary Table S3).

14

### 15 **Assessing the overlap of selection signals between the 1000G populations**

16 For each region enriched in candidate SNPs of selection, we assessed the sharing of selection  
17 signals between populations by mean of an overlap score, calculated as the number of  
18 populations for which the same enriched region was identified. For each enriched region,  
19 overlap scores were calculated both within and between continents (upper limits of 5 for  
20 within-content and 10 for between-continent scores, because there were five populations from  
21 each of three continents). Thus, continent-specific enriched regions would have within- and  
22 between-continent overlap scores of 5 and 0 respectively, whereas population-specific  
23 enriched regions would have within- and between-continent overlap scores of 1 and 0,  
24 respectively.

25

## 1 **URLs**

2 1000 Genomes data: <ftp://ftp.1000genomes.ebi.ac.uk/vol1/ftp/release/20130502/>, ancestral  
3 state,  
4 [ftp://ftp.ncbi.nih.gov/1000genomes/ftp/technical/working/20120316\\_phase1\\_integrated\\_relea](ftp://ftp.ncbi.nih.gov/1000genomes/ftp/technical/working/20120316_phase1_integrated_release_version2/)  
5 [se\\_version2/](ftp://ftp.ncbi.nih.gov/1000genomes/ftp/technical/working/20120316_phase1_integrated_release_version2/), VEP functional annotation,  
6 [ftp://ftp.ncbi.nih.gov/1000genomes/ftp/technical/working/20120316\\_phase1\\_integrated\\_relea](ftp://ftp.ncbi.nih.gov/1000genomes/ftp/technical/working/20120316_phase1_integrated_relea)  
7 [se\\_version2/](ftp://ftp.ncbi.nih.gov/1000genomes/ftp/technical/working/20120316_phase1_integrated_relea).  
8 tools for Approximate Bayesian Computation (ABC), [http://cran.r-](http://cran.r-project.org/web/packages/abc/index.html)  
9 [project.org/web/packages/abc/index.html](http://cran.r-project.org/web/packages/abc/index.html), GTEx (Genotype-Tissue Expression Project)  
10 <http://gtexportal.org/home/>, DAA (Digital Aging Atlas) <http://ageing-map.org/>, the human  
11 protein atlas <http://www.proteinatlas.org>, the American Cancer Society  
12 <https://www.cancer.org/>, NCBI gene database <https://www.ncbi.nlm.nih.gov/gene/26499>

13

## 14 **Supplemental Data**

15 Supplemental data, including Figs. S1 to S21 and Tables S1 to S3 (Tables S2 and S3 are  
16 supplied as Excel files) can be found with this article online.

17

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3

#### 4 **Author contributions**

5 G.L. designed and performed computational analysis, analyzed and interpreted results, and  
6 wrote the paper. P.B. designed and optimized the selink code. E.P. and L.Q.M. advised on  
7 analysis and data interpretation and helped in writing the manuscript.

8

#### 9 **Competing financial interests**

10 The authors have no competing financial interests to declare.

11

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14

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- 14
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- 16

## 1 **Legends**

### 2 **Fig. 1. Odds ratio for selection mirror the number of selective sweeps in simulated** 3 **populations**

4 Relationship between the odds ratio for selection (OR) and the number of selective sweeps, in  
5 computer simulations of African, European and Asian populations, using various numbers of  
6 sweeps,  $X = [0, 50, 100, 150]$  (1,000 simulated WGSs for each). Simulated PSVs are  
7 randomly defined and cover 70% of the genome, a value corresponding to the percent of  
8 PSVs defined in the 1000G population. The  $X$  selective sweeps were simulated in the African,  
9 European or an Asian population, using the two other populations as neutral reference for  
10 interpopulation statistics. Each selective sweep has been simulated by considering frequency  
11 at the onset of selection varying from  $1/2N$  to 0.2 and randomly drawn from the allele  
12 frequency spectrum at the onset of selection. For each selective sweep the intensity and the  
13 age of selection were randomly drawn from uniform distributions,  $s \sim U(0.001, 0.05)$  and  
14  $t \sim U(0, 100)$  *kya*. We excluded complete sweeps by only keeping simulated sweeps with  
15 current selected allele frequencies ranged from 0.2 to 0.95. **(A)** Distributions of the  $s$  (left  
16 hand side) and  $t$  (right hand side) used to simulate the  $X$  incomplete sweeps in the African  
17 (yellow), European (blue) and Asian (green) population. The initial uniform distributions are  
18 indicated in black. **(B)** Simulated ORs for Fay & Wu's  $H$  (F&W- $H$ ),  $iHS$ ,  $DIND$ ,  $\Delta iHH$  (D-  
19  $iHH$ ) and two pairwise XP-EHH. The average of the simulated OR are reported within each  
20 violin plot.

21

### 22 **Fig. 2. Accuracy of the ABC estimation of the numbers of selective sweeps**

23 The estimations were performed using the six ORs shown in Fig. 1 and  $10^5$  ABC simulations  
24 obtained similarly as in Fig. 1 but using  $X$  randomly drawn in flat prior distributions,  
25  $X \sim U(0, 200)$ . The priors used for  $s$  and  $t$  are shown in Fig. 1A. **(A)** ABC estimations of  $X$

1 performed in simulated WGSs used as empirical data containing 0, 50, 100 or 150 selective  
2 sweeps (200 simulated WGSs in each case). Horizontal red lines indicate the true simulated  
3 values of  $X$ . **(B)** Relationships between the ABC estimates ( $y$ -axis) and the corresponding  
4 parameter values ( $x$ -axis) obtained for the number of selective sweeps  $X$ , as well as for  $X_1$  and  
5  $X_2$ , the numbers of sweeps with very low ( $1/2N \leq p_{start} < 0.01$ ) and low ( $0.01 \leq p_{start} < 0.1$ )  
6 frequencies of the selected allele at the onset of selection. The estimations of  $X_3$  (number of  
7 sweeps with intermediate initial frequencies,  $0.1 \leq p_{start} < 0.2$ ) are not shown because simply  
8 deduced from the relation,  $X = X_1 + X_2 + X_3$ . In each case, the 200 simulated WGSs used as  
9 empirical data were generated following the same recombination and demographic model and  
10 using parameters drawn from the priors used for the estimations (top bar plots). Regression  
11 lines (colored lines) between true and estimated values and distributions of estimated  
12 parameters (right bar plots) are also indicated in each panel. Some classical accuracy indices  
13 are also reported, including the 90% *COV* (Online Methods). Additional information about the  
14 accuracy of the ABC estimations of  $X$ ,  $S$  and  $T$  are shown in Supplementary Figs. S3-7 (the  
15 estimations of  $S$  and  $T$  corresponding to the panel **A** can be found in Supplementary Fig. S4).

16

### 17 **Fig. 3. Estimations of the numbers of incomplete selective sweeps**

18 The ABC estimations were performed in each 1000G population separately, using the same  
19 summary statistics and ABC simulations as used in Fig. 2B, i.e. six ORs,  $10^5$  ABC  
20 simulations and  $X$  randomly drawn in flat prior distributions,  $X \sim U(0, 200)$ . The priors used  
21 for  $s$  and  $t$  are shown in Fig. 1A. The point estimates and CIs obtained in each population can  
22 be found in Supplementary Table S2. Posterior distributions of  $X$  in each **(B)** African, **(C)**  
23 European and **(D)** Asian population (priors are given in black). Populations used to calibrate  
24 the demographic model used (YRI, CEU and CHB) are indicated in bold. **(D)** ABC  
25 estimations of  $X_1$ ,  $X_2$  and  $X_3$ , the numbers of selective sweeps with very low

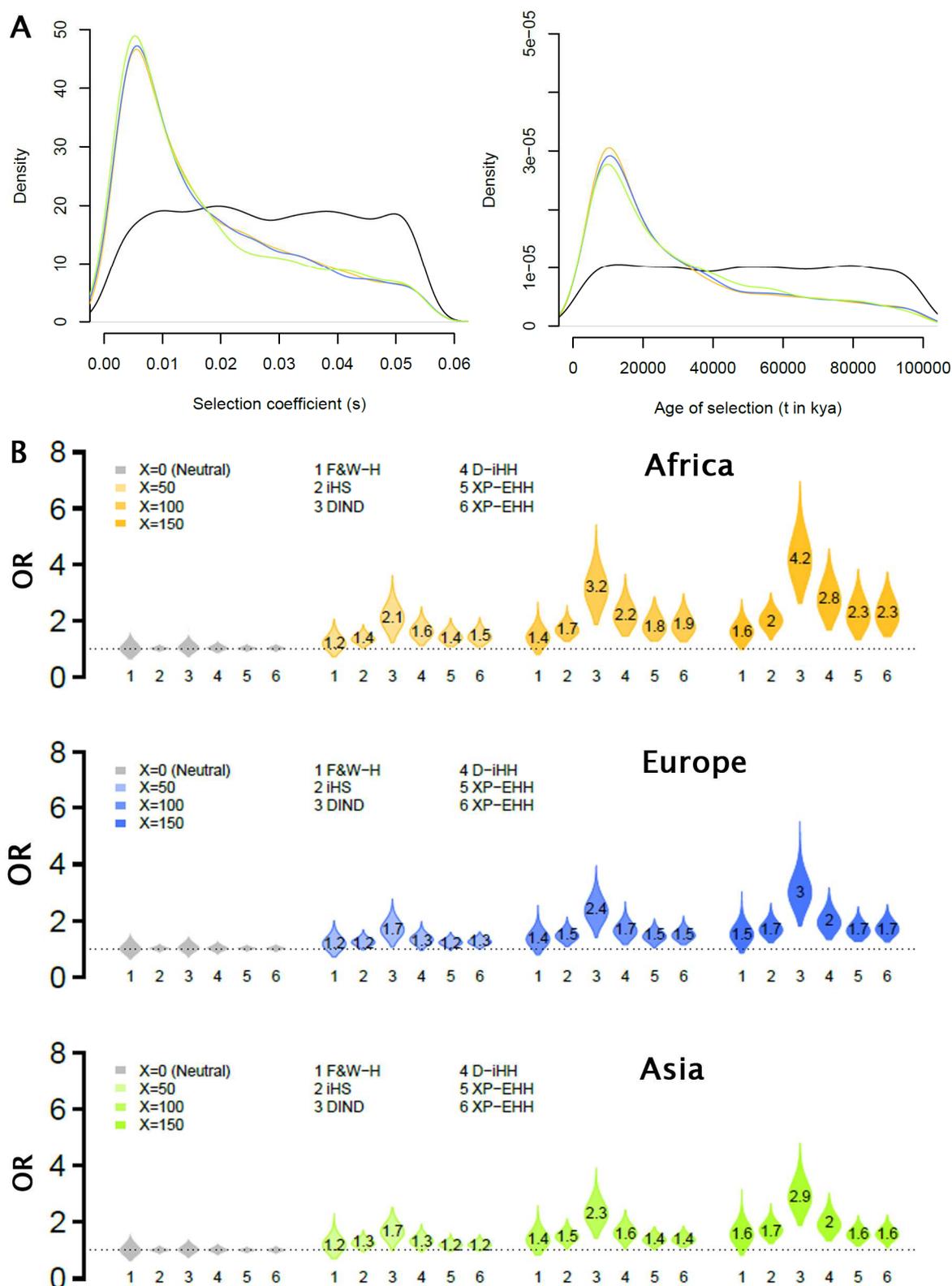
1  $(1/2N \leq p_{start} < 0.01)$ , low  $(0.01 \leq p_{start} < 0.1)$  and intermediate  $(0.1 \leq p_{start} < 0.2)$  initial frequencies of  
2 the selected alleles. **(E,F)** ABC point estimates of the average of the intensity,  $S$ , and age of  
3 selection,  $T$ . The vertical bars shows the minimum and maximum estimates found across all  
4 populations considered.

5

#### 6 **Fig. 4. Estimations of the numbers of sweeps including complete selective sweeps**

7 Simulations performed using the same recombination and demographic models used in Figs.  
8 1-3 but considering both complete and incomplete selective sweeps (selected allele  
9 frequencies ranged from 0.2 to 1). The age of selection  $t$  were randomly drawn from uniform  
10 distribution,  $t \sim U(0, 100)$  kya. The distribution of the selection coefficient  $s$  is an equal mix  
11 between a Gamma distribution (60% of  $s \leq 0.01$ ) and a L-shape distribution (90% of  $s \leq 0.01$ ).  
12 **(A)** ABC estimates (y-axis) performed using  $2 \times 10^5$  ABC simulations using  $X$  (x-axis)  
13 randomly drawn in flat prior distributions,  $X \sim U(0, 300)$ . See also the legend of Fig. 2B. **(B)**  
14 Simulated ORs obtained for fixed values of  $X$ ,  $X = [100, 150]$ , in Europe (blue) and Asia  
15 (green). The empirical ORs are indicated in red (solid dots for the populations CEU and  
16 CHB). See also the legend of Fig. 1B. Note that the rRMSEs (Online Methods) shown in **A**  
17 are higher than assuming incomplete sweeps only (Fig. 2B) because the rate of increase of the  
18 OR with  $X$  is lower in panel **B** than assuming incomplete sweeps only (Fig. 1B). **(C)** Posterior  
19 distributions of  $X$  in each European and Asian population (CEU and CHB are indicated in  
20 bold). The estimations were performed using  $2 \times 10^5$  ABC simulations used in **A**. The point  
21 estimates and CIs obtained in each population including the African populations, are given in  
22 Supplementary Table S2.

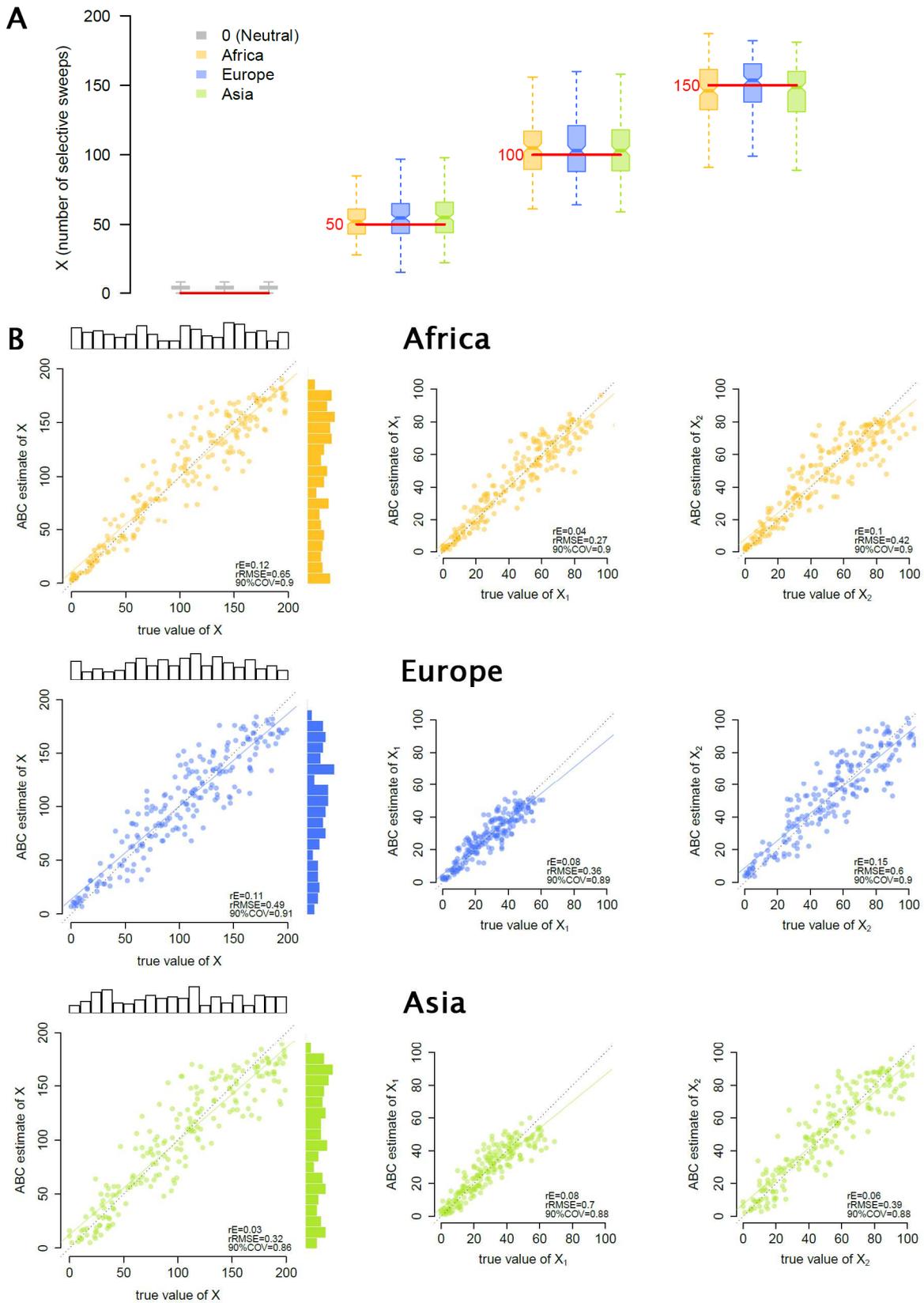
1 Fig. 1



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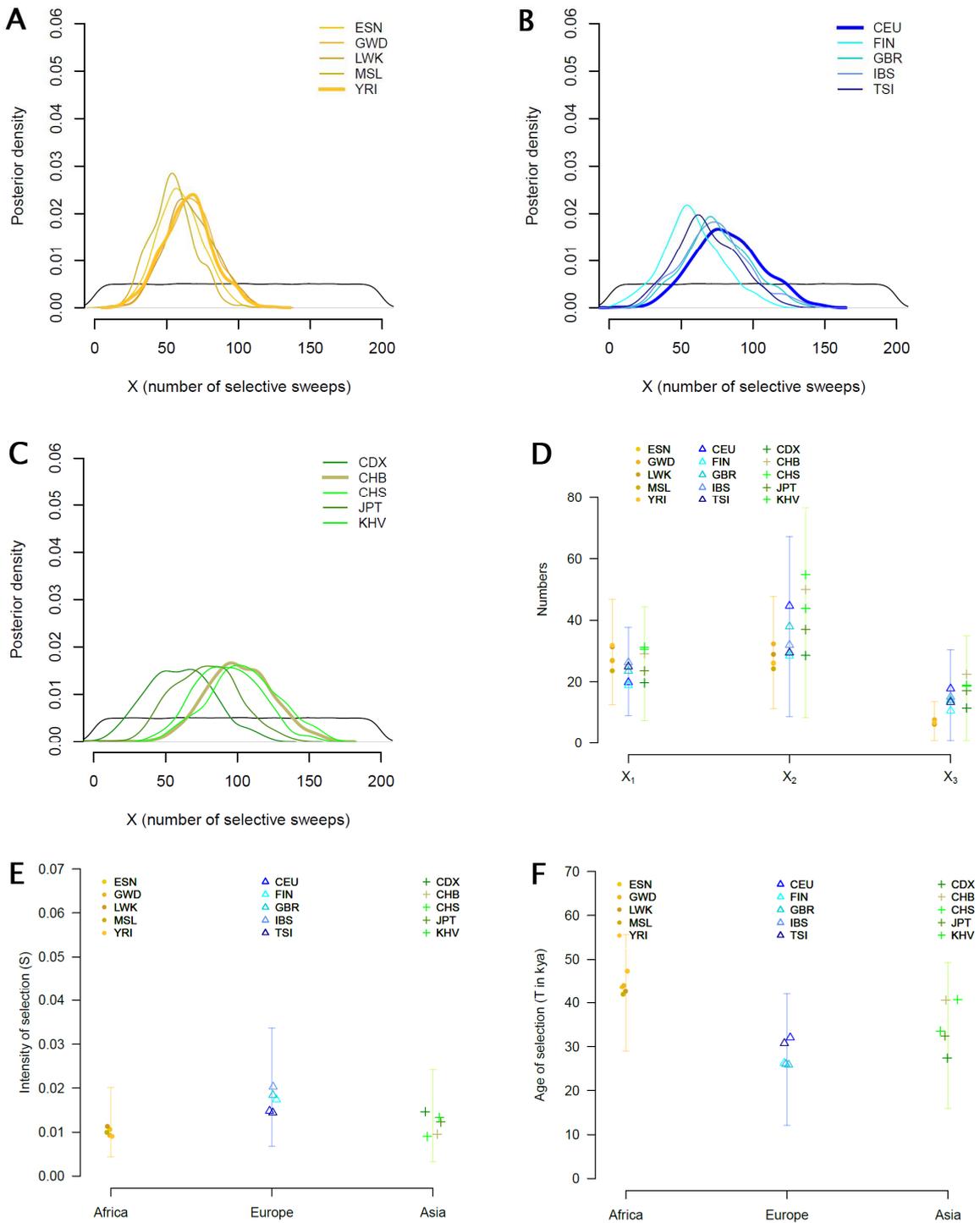
1 Fig. 2



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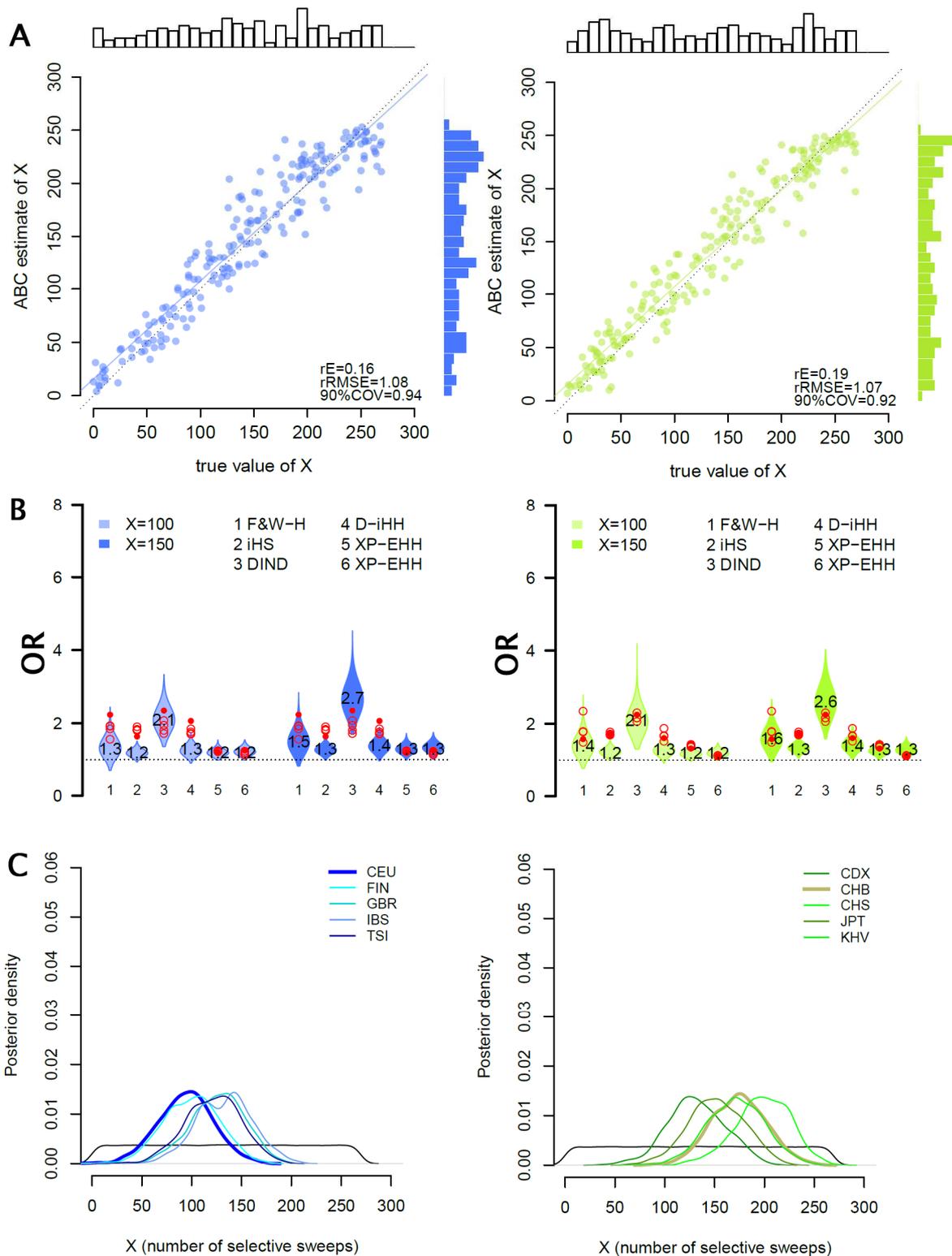
1 Fig. 3



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1 Fig. 4



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